## The median of an abstract cubic tree

In this work, is analyzed the problem of median finding for an abstract cubic tree. Is defined the abstract cubic tree $T^{3}$ as a conex cubic complex, non-oriented and acyclic $K^{3}$, which satisfies the following conditions:

1) any $k$-dimensional cube $\mathrm{I}^{\mathrm{K}}, 0 \leq k \leq 2$, of the complex $\mathrm{K}^{3}$ belongs to at least one

3-dimensional cube from $\mathrm{K}^{3}$;
2) $\forall I^{k} \in \operatorname{int} \mathrm{~K}^{3}, 0 \leq k \leq 2$, belongs to at least $2^{3-k} \mathrm{k}$-dimensional cubes from $\mathrm{K}^{3}$;
3) if 0 -dimensional $\mathrm{I}^{0}$ elements exists in $b d \mathrm{~K}^{3}$ border, such that $s t(2) \mathrm{I}^{0}$ contains three 2dimensional cubes from $b d \mathrm{~K}^{3}$, then $\operatorname{st}(2) \mathrm{I}^{0}$ defines 3 -dimensional cube from $\mathrm{K}^{3}$.

It is proven that the border of the cubic abstract tree is an abstract sphere $\sum_{0}^{2}$. The $T^{3}$ tree is included in the $m$-dimensional space cube, where $m$ represents the number of classes of parallel sides of the $T^{3}$. The problem of the median is solved in this $m$-dimensional space, without using the metrics of the space, and its solution determines the median of the $T^{3}$ tree.

